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AND
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## HILGARDIA

A JOURNAL OF AGRICULTURAL SCIENCE<br>pUbLISHED by the

CALIFORNIA AGRICULTURAL EXPERIMENT STATION

# FACTORS AFFECTING THE PRICE OF WATERMELONS AT LOS ANGELES 

EMIL RAUCHENSTEIN 1

## THE PROBLEM

As the quantity of any commodity put on the market increases, the value which the consumer places on each unit declines, and hence he will pay less for each unit. It is the purpose of this study to determine for a specific commodity at a specific market (watermelons on the Los Angeles market) how much prices have actually changed during the past six years with the various changes in the supply, and to measure the effect of all other factors on which data are available and which affect the price.

It is a matter of general experience that variations in the supply of one commodity may cause large proportional changes in its price, whereas similar variations in the supply of another commodity may cause only small proportional changes in its price. For example, an increase of 20 per cent in the supply of potatoes would cause a large relative decrease in their price. ${ }^{(8)}$ A similar increase in the supply of apples would cause a much smaller proportional decrease in their price. ${ }^{(5)}$ It is possible also that the demand for a commodity may change over a period of time. The price of potatoes seems to change more now for a given change in the supply than it did twenty years ago. ${ }^{(1)}$ Changes of this kind however, usually come about gradually and the trend can be noted before a marked change occurs.

The time unit used in measuring the effect of the various factors affecting price has varied with the nature of the commodity. With annual crops which can be stored for a year or more, the year has

[^0]been the usual unit of time used. Thus in the study of oat prices ${ }^{(4)}$ the total production in the United States in one year plus carry-over was taken as the supply, and the price used was the average price at Chicago for the crop year. The study of potato prices ${ }^{(8)}$ was based on the average price at St. Paul from September to May inclusive, and the supply was the production of the twenty-seven late potato states. As more complete and accurate data become available over a longer time on shipments, storage, and movements into consumption, it may become possible to estimate future prices more accurately for specific periods within the year. Haas and Ezekiel's study of hog prices ${ }^{(2)}$ was based on the month as the unit of time. Hedden ${ }^{(3)}$ in his study of watermelon prices used the day as the unit.

In the study of watermelon prices at Los Angeles it seemed advisable, because of conditions which are described in the following two paragraphs, to take the week as the unit of time.

Most commodities pass through several hands in going from producer to consumer. The price the consumer can be induced to pay for the commodity sets the final limit which any middleman can pay in the long run. Since some time must elapse between the time a commodity is sold to the jobber and the time it is finally sold to the consumer, the middleman must continually make estimates of the prices which the consumers will be willing to pay for a given supply, in order to decide on the price which he (the middleman) can pay and still maintain a necessary margin.

It is evident that the estimates of the middleman will not always be correct, and besides, the producer or shipper also is a party in the bargaining and does what he can to get a favorable return for himself. The price paid for any one lot of watermelons, or the representative price for a day, is probably seldom correctly proportioned to the price which the consumer is willing to pay for the quantity available on that day. The representative price for a week is more likely to be in correct proportion to the price which the consumer is willing to pay.

## DATA AVAILABLE

The daily market reports of the U. S. Bureau of Agricultural Economics are available for the Los Angeles market since 1922. These give the daily arrivals, cars on track, and prices of the important fruits and vegetables. Weekly averages of the data on watermelons, cantaloupes, and all other fruits given consistently for the six-year period are shown in table 1. Data on average maximum
temperature lagged three days are also shown. It is often assumed that cantaloupes and other fruits affect the watermelon prices to some extent. These assumptions have been tested mathematically and the results are shown in the following pages.

## ANALYSIS OF DATA

The correlation between the supply of watermelons, as measured by the carlots on track ( $B$ ) and the price ( $X$ ), has been discussed in Bulletin $449^{(6)}$ of this station. The gross or simple correlation between these two factors is -0.8455 , which indicates that approximately 71 per cent of the variations in watermelon prices can be accounted for by variations in the supply, leaving 29 per cent to be accounted for by other factors.

Carlot arrivals of watermelons ( $A$ ) also are fairly closely correlated with prices $(X)$, the gross correlation index being - 0.6604 (see table 2). The net effect of arrivals on prices, however, is not so marked, since carlot arrivals and cars on track are closely associated, as shown by the correlation coefficient of +0.7405 .

One would logically expect the temperature ( $C$ ) to be positively correlated with watermelon prices, since the demand for watermelons is increased as the temperature goes up. The gross correlation of average maximum daily temperature (lagged 3 days) and of watermelon prices for the weekly periods shown in table 1 is -0.0583 . The negative correlation is due to the fact that temperatures usually go up toward the end of the season while prices decline. When corrections are made for the normal seasonal decline in the price of watermelons, the net effect of a rise in temperature is to raise the price slightly.

Corrections are frequently made for seasonal variations in prices of watermelons first, and the corrected, or adjusted, prices then correlated with the other factors affecting prices. In this study indexes of seasonal variations were calculated and included in the multiplecorrelation analysis with the four other factors mentioned above. The index for each week was calculated by taking the arithmetic mean of the average price of the week for each of the six years covered in this investigation.

The gross correlation of the seasonal indexes of prices $(D)$ and the price $(X)$ is +0.5600 . The multiple correlation of these four factors with price $(X)$ was calculated; this gave a multiple-correlation index of 0.861 . The residuals obtained from estimates based on the


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multiple regression equation including the four independent factors above, $A, B, C$, and $D$, were then correlated with cantaloupe carlot arrivals ( $E$ ), carlots of cantaloupes on track ( $F$ ), and carlot arrivals of important fruits $(G)$. The residuals gave a correlation index of -0.37 with factor $G$, which indicated that arrivals of important fruits had an independent effect on watermelon prices of sufficient importance to include with the other four independent factors. The gross correlation with price was - 0.5973 . The multiple-correlation index was raised from 0.8610 to 0.8896 by including the effect of arrivals of important fruits $(G)$ with factors $A, B, C$, and $D$.

Actual and Estimated Prices for Watermelons on the Los Angeles Market,


Fig. 1. The estimated prices are based on the average net relationship that prevailed during the entire period, between actual prices and carlot arrivals of watermelons, carlots of watermelons on track, maximum temperature, time of the season, and carlot arrivals of important fruits.
(Data from table 1.)
Having obtained all of the gross correlations between the various factors described in the preceding pages they can be used in obtaining, first the partial regression coefficients, second the coefficients of determination, third the multiple-correlation index, and fourth the regression equation. The method followed is described in detail by Wallace and Snedecor. ${ }^{(7)}$

## Multiple Correlation Index and Regression Equation

The combined effect of the first five factors, carlot arrivals $A$, carlots on track $B$, temperature $C$, the seasonal index $D$, and carlot arrivals of important fruits $G$, on the price of watermelons $X$ at Los Angeles is shown by the multiple correlation index ${ }^{P} \log X . A B C D G$,
which is equal to 0.8896 . This takes into account all of the intercorrelations between the independent factors. A correlation index of 0.8896 indicates that approximately 79 per cent of the variations in price can be ascribed to the variations in the five factors mentioned above. The net regression equation obtained by the method described by Wallace and Snedecor ${ }^{(8) 2}$ is as follows:

$$
\log \bar{X}=-0.3558-0.00136 A-0.00206 B+0.00939 C+0.00063 D-0.00686 G
$$

On the basis of this equation, which expresses the average net relationship of each of the factors $A, B, C, D$, and $G$, and prices ( $X$ ), the estimated prices in column $\bar{X}$, table 1, were obtained. Approximately one-half of the estimated prices for the past six years based on this equation come within 15 per cent of the actual prices. A comparison of the actual and estimated prices is also shown in figure 1. It will be noted that after the third week in 1922 the actual prices were below the estimated, except in the sixth week, while during 1923 all of the actual prices were above the estimated. Again in 1926 the actual prices were generally below the estimated. Deviations of actual prices from estimated prices were probably due to the following factors:

1. The quality of the watermelons may have been below the average in 1922 and 1926 and above the average in 1923, but no statistical measure of quality for this period exists.

[^1]2. The fluctuations of actual prices above and below the estimated in 1924 and 1925 suggest the possibility of alternating periods of over and under estimates lasting one or two weeks, in which the dealers misjudged the consumers' demand.
3. Some of the factors that have affected watermelon prices may have been only of a temporary nature which would be impossible to measure accurately.
4. It is difficult to express in one figure a representative price for sales of one day or week, hence the actual prices shown in table 1 may contain errors.
5. The increase in shipments by truck in recent years has made the data on supply somewhat inaccurate.
6. The general price level from 1922 to 1927 , according to the Bureau of Labor Statistics index number of all commodities varied from 163 in July, 1925 to 147 in July, 1927. This variation might be expected to account for some of the residuals in prices, but the correlation between the index numbers and residuals of prices was insignificant. Possibly the Bureau of Labor Statistics index number does not represent accurately changes in the price level at Los Angeles.

The above factors undoubtedly explain most of the deviations of actual from estimated prices. Other factors and limitations in the statistical methods must account for the remaining residuals.

## Correlation of Other Factors with Watermelon Prices

Table 2 also shows the gross correlations of cantaloupe arrivals $(E)$ and carlots of cantaloupes on track $(F)$, and carlots of important fruits on track $(H)$ with watermelon prices. It seems reasonable to expect that large supplies of cantaloupes or other fruits would tend to depress watermelon prices. However, the gross correlation index between carlot arrivals of cantaloupes and watermelon prices is +0.3083 which indicates that for the 48 weeks shown in table 1 there has been a slight tendency for the opposite relationship to prevail.

The explanation for this contradiction between what one might expect and what one finds lies in the differences in the seasonal movement of cantaloupes and watermelons. Cantaloupe arrivals are often at their peak about the second or third week of the watermelon season, whereas watermelon arrivals usually reach their peak in the fourth, fifth, or sixth weeks. From that time on there is usually a decline in arrivals which often occurs at the same time as the seasonal decline
in watermelon prices. When the effect of the first four factors $A, B$, $C$, and $D$ (table 1) on prices was taken into account, and the residuals of prices (the differences between the logarithms of actual and estimated prices) correlated with carlot arrivals of cantaloupes, the correlation index became +0.1606 , which is of no practical significance so far as showing an independent effect on watermelon prices is concerned.

TABLE 2
Gross Correlations of Watermelon Prices and Eight Factors, and Intercorrelations of $A, B, C, D$, and $G$

| Factors correlated | Watermelons |  | $\begin{gathered} \text { Temper- } \\ \text { ature } \end{gathered}$ | Seasonal index of prices | Cantaloupes |  | Important fruits |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Carlot arrivals | Carlots on track |  |  | Carlot arrivals | Carlots on track | Carlot arrivals | Carlots on track |
|  | A | B | C | D | E | F | $G$ | H |
| $\begin{gathered} \log X \\ \text { (Watermelon } \\ \text { prices).......... } \end{gathered}$ | -0.6604 | -0.8455 | -0.0583 | +0.5600 | 0.3038 | 0.1063 | -0.5973 | -0.5383 |
| A........ |  | 0.7405 | 0.2718 | -0.6310 |  |  | 0.3713 | ....... |
| B................... |  |  | 0.1824 | -0.5865 |  |  | 0.5443 | ............... |
| C.................... |  |  |  | -0.4075 |  |  | 0.3845 |  |
| D...................... |  |  |  |  |  |  | -0.3769 |  |
|  |  |  |  |  |  |  |  |  |

The carlots of important fruits on track $(H)$ gives a gross correlation index of - 0.5383 with prices, but when the effect of factors $A, B, C, D$, and $G$ is taken account of the correlation with the price residuals becomes +0.0349 .

The efforts to improve the accuracy of the watermelon price estimates by including factors $E, F$, and $H$ (tables 1 and 2) proved fruitless. The most accurate method discovered so far is on the basis of the five factors $A, B, C, D$, and $G$.

## Importance of the Individual Factors

The coefficients of determination ${ }^{3}$ give at least a rough measure of the relative importance of the different factors affecting prices. Expressed in percentages they are as follows:

[^2]

The algebraic sum of the coefficients of determination is 79.13, which indicates that approximately 79 per cent of the variation in prices are accounted for by the variation in these five factors. The negative coefficient of determination for temperature shows that its effect is in the opposite direction from that of the other factors. The most important factor affecting prices is the number of carlots of watermelons on track. Next in importance is the carlot arrivals of important fruits, third, the seasonal factor, and fourth, the carlot arrivals of watermelons.

The square root of the sum of the coefficients of determination gives the multiple correlation index $P_{\log X . A B C D G}=0.8896$.

TABLE 3
Average Nft Effect of Carlot Arrivals of Watermelons ( $A$ ) on Price ( $X$ )

| Carlot <br> arrivals | Price* in cents <br> per pound |
| :---: | :---: |
| $A$ | $X$ |
| 0 | 1.79 |
| 10 | 1.73 |
| 20 | 1.68 |
| 30 | 1.63 |
| 40 | 1.58 |
| 50 | 1.53 |
| 60 | 1.48 |
| 70 | 1.44 |

* Based on the regression equation $\log \bar{X}=0.25238-0.00136 \mathrm{~A}$.


## Effect of the Individual Factors on Watermelon Prices

Carlot Arrivals of Watermelons.-The regression equation showing the average net effects of the carlot arrivals $(A)$, carlots on track $(B)$, temperature $(C)$, seasonal indexes $(D)$, and carlot arrivals of important fruits $(G)$, on price $(X)$ is as follows:

$$
\begin{gathered}
\log \bar{X}=-0.3558-0.00136 A-0.00206 B+0.00939 C+00063 D \\
-0.00686 G
\end{gathered}
$$

Now substituting the means of $B, C, D$, and $G$ in this equation and varying $A$, the net effect of variations in $A$ are obtained; these are
shown in table 3 and figure 2. When the number of carlots increased from ten to twenty, the price decreased on an average from 1.73 cents to 1.68 cents a pound, approximately 3 per cent. An increase in carlot arrivals from ten to seventy carlots decreased the price 17 per cent.


Fig. 2. The average net effect of each increase of 10 carlots was to decrease the price approximately 3 per cent.
(Data from table 3.)
Carlots of Watermelons on Track.-The average net effect on price of carlots on track is obtained in the same way as for carlot arrivals. The results are shown in table 4 and figure 3 . An increase from twenty carlots to forty carlots on track was accompanied (other factors being at an average) by a decrease in price from 2.18 cents to 1.99 cents or approximately 9.0 per cent.

Maximum Temperature.-The average net effect of maximum temperature, lagged three days, on watermelon prices is shown in table 5 and figure 4. An increase of four degrees Fahrenheit in temperature, other factors remaining at an average, resulted in an average increase of 9.0 per cent in price. Thus with the temperature at $68^{\circ}$ Fahrenheit (see table 5), with other factors at an average, the price was 1.29 cents a pound. An increase in temperature to $72^{\circ}$ Fahrenheit raised the price to 1.42 cents, approximately a 9.0 per cent increase.

Average Net Effect of Watermelon Carlots on Track upon Prices


Fig. 3. Each increase of 10 carlots on track had the average net effect of reducing the price approximately 4.5 per cent.
(Data from table 4.)

TABLE 4
Average Net Effect of Carlots on Track of Watermelons (B) on Price ( $X$ )

| Carlots <br> on track | Price* in cents <br> per pound |
| :---: | :---: |
| $B$ | $X$ |
| 0 | 2.40 |
| 20 | 2.18 |
| 40 | 1.99 |
| 60 | 1.81 |
| 80 | 1.64 |
| 100 | 1.49 |
| 120 | 1.36 |
| 140 | 1.24 |
| 170 | 1.07 |

* Based on the regression equation $\log \bar{X}=0.38021-0.00206 B$.


Fig. 4. With other factors held constant, the average net effect of an increase of four degrees Fahrenheit in temperature was to raise prices approximately 9.0 per cent.
(Data from table 5.)
TABLE 5

$$
\begin{gathered}
\text { Average Net Effect of Temperature (Lagged } 3 \text { Days) ( } C \text { ) } \\
\text { on Price of Watermelons }(X)
\end{gathered}
$$

| Temperature in <br> degrees Fahrenheit | Price* in cents <br> per pound |
| :---: | :---: |
| $C$ | $X$ |
| 68 | 1.29 |
| 72 | 1.42 |
| 76 | 1.54 |
| 80 | 1.68 |
| 84 | 1.83 |
| 88 | 2.00 |

* Based on the regression equation $\underline{\log \bar{X}=-0.52529+0.00939 C}$.

Time of the Season.-The average net effect of the time of the season is shown in table 6 and figure 5. Holding the other factors at an average, the price of watermelons the second week averaged 1.73 cents a pound compared with 1.87 cents for the first week (see table 6 and figure 5). In other words the net effect of the advance of the watermelon season from the first to the second week was to lower the price 7.4 per cent. The low point of the season was reached in the sixth week, after which there was a slight recovery.


Fig. 5.-The average net effect of the time of the season on prices was to cause them to decline until after the fourth week. Some recovery occurred in the fifth, seventh, and eighth weeks.
(Data from table 6.)
TABLE 6
Average Net Effect of Seasonal Index ( $D$ ) on Price ( $X$ )

| Week of <br> season | Seasonal <br> index | Price* in cents <br> per pound |
| :---: | :---: | :---: |
|  | $D$ | $X$ |
| 1 | 276 | 1.87 |
| 2 | 223 | 1.73 |
| 3 | 161 | 1.58 |
| 4 | 139 | 1.53 |
| 5 | 150 | 1.56 |
| 6 | 137 | 1.53 |
| 7 | 159 | 1.55 |
| 8 | 167 | 1.60 |

* Based on the regression equation $\log \bar{X}=0.09769+0.00063 D$.

Carlot Arrivals of Important Fruits.-Table 7 and figure 6 show the net effect of carlot arrivals of important fruits on watermelon prices. An increase in arrivals of ten carlots of the important fruits (apricots, peaches, pears, plums, and miscellaneous melons, the fruits for which records are available for each of the years 1922 to 1927) caused a decrease of 14.6 per cent in price. For example, the increase in arrivals from ten carlots to twenty carlots brought an average decrease in price from 1.61 to 1.37 cents a pound, or 14.6 per cent.


Fig. 6. An increase of 10 carlots in arrivals of important fruits (other factors remaining equal) brought an average decrease in price of 14.6 per cent. (Data from table 7.)

TABLE 7
Average Net Effect of Carlot Arrivals of Important Fruits* (G)
on Price $X$

| Carlot <br> arrivals | Pricet in cents <br> per pound |
| :---: | :---: |
| $G$ | $X$ |
| 0 | 1.88 |
| 5 | 1.74 |
| 10 | 1.61 |
| 20 | 1.37 |
| 30 | 1.17 |
| 40 | 1.00 |

[^3]
## HOW TO USE THE RESULTS OF THESE STATISTICAL ANALYSES

Every buyer and seller must make estimates of the prices that will move a given supply of a commodity under a given set of conditions. A large part of the success of anyone engaged in buying and selling depends upon the accuracy of his estimates of the prices that will equate supply and demand. The only basis for making these estimates is past experience. The estimates may be based on some mental calculations of figures that left their impress on the mind, or it may be based on careful analysis of statistical data that have been kept over a long time plus any other knowledge of a non-statistical nature that every business man accumulates. In either case the assumption is made that the factors considered will continue to have the same effect on prices in the future that they have had in the past. If this did not generally hold true we would have no basis for estimating the future by any method.

The results obtained on factors affecting watermelon prices at Los Angeles should not be used without an understanding of their limitations and an appreciation of the need of an intimate knowledge of the business in addition to the quantitative relationships shown in the equation on pages 311 and 314 . Estimating the most probable price on the basis of carlots on track has been explained in a previous bulletin. ${ }^{(6)}$

Estimating the most probable price on the basis of the factors used in the equation can be illustrated by estimating the price for a certain time in 1928 assuming a definite set of conditions. The price estimates shown in table 1 are based upon the relationship of average prices by weeks, and averages for the same weeks of the various factors affecting prices, except temperature, which is for periods three days earlier.

Hence in order to estimate, say on a Monday morning, the price for that week ending Friday, it would be necessary to first estimate the average daily arrivals of watermelons and important fruits and the carlots of watermelons on track for the rest of the week.

This would mean estimating prices on the basis of supply estimated so far ahead that most dealers would doubtless prefer to estimate the prices directly rather than in the round-about way. However, if receipts and cars on track were estimated two days in advance and an average worked out for the week ending on Wednesday morning, a very close adjustment could be made for expected changes in
arrivals and carlots on track for the next two days. The correlation with temperature is based on a three-day lag of temperature so that the average temperature up to Sunday would give data corresponding to the other data for the period ending the next Wednesday. The seasonal index of prices is selected according to the week of the season in which the period in question happens to fall.

Let us assume now that the Monday comes in the third week of the season, and that the various adjustments give the following values:

Substituting these values in the equation

```
    \(\log \bar{X}=-0.3558-0.00136 A-0.00206 B+0.00939 C+0.00063 D-0.00686 G\)
gives
    \(\log \bar{X}=-0.3558-0.00136 \times 32-0.00206 \times 63+0.00939 \times 77\)
        \(+0.00063 \times 161-0.00686 \times 12\)
        \(=-0.3558-0.04352-0.12978+0.72303+0.10143-0.08232\)
    \(\log \bar{X}=0.21304\)
```

Looking up the anti-log of 0.21304 we obtain $\bar{X}=1.63$ cents-the estimated price per pound for that week. Estimates such as the above should be of value to shippers in deciding on the number of carlots that can be shipped to Los Angeles before losses are likely to be sustained, and to buyers and sellers in deciding on what price is justified on the basis of the conditions prevailing at a particular time.

## SUMMARY

A statistical analysis of the factors affecting average weekly prices of watermelons at Los Angeles indicates that the most important factors, in the order named are : carlots of watermelons on track, carlot arrivals of important fruits, time of the season, carlot arrivals of watermelons, and maximum temperature lagged three days. Weekly averages of supplies, arrivals, and temperatures were obtained for the first eight weeks of each season from 1922 to 1927, and seasonal indexes of prices were calculated. Variations in these five factors accounted for 79 per cent of the variations in price.

The average relationship of these factors and watermelon prices is expressed by the equation

$$
\log \bar{X}=-0.3558-0.00136 A-0.00206 B+0.00939 C+0.00063 D-0.00686 G
$$

which can be used in estimating future prices $(\bar{X})$ when carlots on track ( $A$ ), carlot arrivals $(B)$, maximum temperature lagged three days $(C)$, the seasonal indexes $(D)$, and carlot arrivals of important fruits ( $G$ ) are known or can be closely estimated. Applying this equation over the past six years approximately one-half of the estimated prices come within 15 per cent of the actual prices. Some of the variations of estimated from actual prices are undoubtedly due to the fact that shippers and jobbers cannot estimate the consumer's demand accurately, and hence actual prices may sometimes be above and sometimes below the price which would equate supply and demand. The quality of the watermelons-a factor on which no statistical data are available-variations in truck shipments, and the difficulty of obtaining representative prices probably were the most important remaining factors causing variations of actual from estimated prices.

It seemed logical to expect that cantaloupe arrivals and carlots on track would also affect watermelon prices, but practically no net correlation was found to exist between them. The same thing was true of carlots on track of important fruits, after the effect of the other factors, including carlot arrivals of important fruits, had been taken into consideration.

## ACKNOWLEDGMENTS

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[^0]:    ${ }^{1}$ Associate in Agricultural Economics.

[^1]:    ${ }^{2}$ The first step consists in obtaining the partial regression coefficients $\beta \log X A, \beta \log X B, \beta \log X C$ $\beta \log X D$ and $\beta \log X G$, by solving the following:
    $\beta \log X A+{ }^{\mathrm{r}} A B \beta \log X B+{ }^{\mathrm{r}} A C \beta \log X C+{ }^{\mathrm{r}} A D \beta \log X D+{ }^{\mathrm{r}} A G \beta \log X G={ }^{\mathrm{r}} A \log X$
    ${ }^{\mathrm{r}} A B \beta \log X A+\quad \beta \log X B+{ }^{\mathrm{r}} B C \beta \log X C+{ }^{\mathrm{r}} B D \beta \log X D+{ }^{\mathrm{r}} B G \beta \log X G={ }^{\mathrm{r}} B \log X$
    ${ }^{\mathrm{r}} A C \beta \log X A+{ }^{\mathrm{r}} B C \beta \log X B+\quad \beta \log X C+{ }^{\mathrm{r}} C D \beta \log X D+{ }^{\mathrm{r}} C G \beta \log X G={ }^{\mathrm{r}} C \log X$
    ${ }^{\mathrm{r}} A D \beta \log X A+{ }^{\mathrm{r}} B D \beta \log X B+{ }^{\mathrm{r}} C D \beta \log X C+\quad \beta \log X D+{ }^{\mathrm{r}} D G \beta \log X G={ }^{\mathrm{r}} D \log X$
    ${ }^{\mathrm{r}} A G \beta \log X A+{ }^{\mathrm{r}} B G \beta \log X B+{ }^{\mathrm{r}} C G \beta \log X C+{ }^{\mathrm{r}} D G \beta \log X D+\quad \beta \log X G={ }^{\mathrm{r}} G \log X$
    The solution of these equations gave the following values:

    $$
    \begin{aligned}
    & \beta \log X A=-0.1034 \\
    & \beta \log X B=-0.5671 \\
    & \beta \log X C=+0.2465 \\
    & \beta \log X D=+0.1546 \\
    & \beta \log X G=-0.2868
    \end{aligned}
    $$

    These values, the means, and standard deviations were substituted in the general equation:

    $$
    \begin{aligned}
    \log \bar{X}= & M_{x}+\beta \log X A \cdot \frac{\sigma \log X}{\sigma A}\left(A-M_{A}\right)+\beta \log X B \cdot \frac{\sigma \log X}{\sigma B}\left(B-M_{B}\right) \\
    & +\beta \log X C \cdot \frac{\sigma \log X}{\sigma C}\left(C-M_{C}\right)+\beta \log X D \cdot \frac{\sigma \log X}{\sigma D}\left(D-M_{D}\right) \\
    & +\beta \log X G \cdot \frac{\sigma \log X}{\sigma G}\left(G-M_{G}\right)
    \end{aligned}
    $$

    Substituting the values in the above gives:

    $$
    \log \bar{X}=0.2089+\left(-0.1034 \times \frac{0.18397}{14.01852}\right)(A-31.9792)
    $$

    $$
    \begin{aligned}
    & +\left(-0.5671 \times \frac{0.18397}{50.6040}\right)(B-83.1666)+\left(0.2465 \times \frac{0.18397}{4.82895}\right)(C-78.1875) \\
    & +\left(0.1546 \times \frac{0.18397}{45.2296}\right)(D-176.50)+\left(-0.2868 \times \frac{0.18397}{7.6958}\right)(G-9.6042)
    \end{aligned}
    $$

    This reduces to

    $$
    \log \bar{X}=-0.3558-0.00136 A-0.00206 B+0.00939 C+0.00063 D-0.00686 G
    $$

[^2]:    ${ }^{3}$ The coefficient of determination is the product of the partial regression coefficient (see footnote 2, p. 311) and the corresponding gross correlation index shown in table 2. The sum of the coefficients of determination equals the square of the multiple correlation index.

    Thus $P^{2}=\beta \log X A .{ }^{\mathrm{r}} A \log X+\beta \log X B .{ }^{\mathrm{r}} B \log X+\beta \log X C .{ }^{\mathrm{r}} C \log X+\beta \log X D .{ }^{\mathrm{r}} D \log X$ $+\beta \log X G .{ }^{r} G \log X$
    Substituting
    $P^{2}=(-0.1034 \times-0.6604)+(-0.5671 \times-0.8455)+(+0.2465 \times-0.0583)+(0.1546 \times+0.5600)+(-0.2868 \times-$ $0.5973)=+0.0683+0.4795-0.0144+0.0866+0.1713=+0.7913$
    $P=\sqrt{0.7913}=0.8896$

[^3]:    * Important fruits include apricots, peaches, pears, miscellaneous melons, and plums.
    $\dagger$ Based on the regression equation $\log \bar{X}=0.27477-0.00686 G$.

